EEE 3352

Electromechanics & Electrical Machines



Lecture 1: Introductory concepts

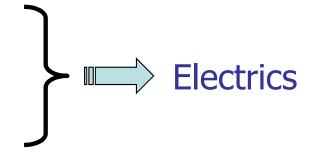
1. Introductory concepts

- 1. Physical quantities, dimensions and units
- 2. Scalars, vectors, phasors
- 3. Basic laws:
 - Faraday's
 - Ampere's
 - Newton's 2nd
 - Conservation

1.1 Physical quantities, dimensions and units

-physical quantities in **electrical engineering** cover what happens in:

- conductors & insulators: electric
- magnetic & non materials: magnetic



- mechanical engineering
- thermodynamics



Some of physical quantities

Mechanical	[symbol]
Length	[/ or x]
Force	[<i>F</i>]
Momentum	[Γ]
Acceleration	[a]
Torque	[<i>T</i>]
Angular speed	$[\omega]$
Mass	[<i>m</i>]

Electrical	[Symbol]
Voltage	[v, V]
Resistance	[<i>R</i>]
Capacitance	[C]
Inductance	[<i>L</i>]
Electric charge	[q, Q]
Current density	[J]
Magnetic flux	$[\ \phi\]$

Dimensions and Units

• used to describe physical quantities:

Dimension:

characteristic of a physical quantity

Unit:

 how the physical quantity is to be measured in terms of standard quantities



- length
- mass
- time







- 2 more dimensions for
 - electricity and magnetism (e.g. current)
 - thermodynamics (e.g. temperature)

- - a number of independent base units
 - need to be chosen
 - carefully defined
 - the actual number being the same as that of the independent dimensions

- SI (International system) adopted internationally
 - 7 base units
 - 2 supplementary units

SI quantities & units

	Quantity	Unit Name	Unit
	Time	second	S
	Length	metre	m
	Mass	kilogram	kg
Base	Electric current	Ampere	Α
	Thermodynamic temperature	Kelvin	K
	Luminous intensity	candela	cd
	Amount of substance	mole	mol
Supp	Plane Angle	radian	rad
	Solid angle	steradian	sr

Units

- definition of units are precise
- in EEE 3352 you need only remember for electric current see extract from
 - "IET Units and Symbols for Electrical and Electronic Engineering"

- units of all physical quantities can be expressed in terms of the base and supplementary units
- in practice, it is better to define derived units in cases where
 - the quantity is used frequently
 - eg Hz derived from s⁻¹ for frequency
 - the units are lengthy
 - eg N for kgm/s²
 - a new physical concept is introduced
 - eg V for kgm²s⁻³A⁻¹

- the numerical values of many quantities may be many orders of magnitude away from unity (bigger or smaller)
- it may be convenient to either use power of 10 or to use decimal prefixes with the unit

Base 10 and their prefixes

quantity	name	symbol
1018	exa	E
10 ¹⁵	peta	P
1012	tera	Т
10 ⁹	giga	G
106	mega	М
10 ³	kilo	k

quantity	name	symbol
10 ²	hecto	h
10^{1}	deca	da
10-1	deci	d
10-2	centi	С

quantity	name	sym
10-3	milli	m
10-6	micro	μ
10-9	nano	n
10-12	pico	p
10-15	femto	f
10-18	atto	а



- equations are a compact and effective way of stating relationships between various quantities
- equations may arise in 4 different ways:
 - 1. a statement of a basic law, tested and accepted e.g. Faraday's law, $v = N \frac{d\phi}{dt}$
 - 2. a definition of a new quantity or concept e.g. electric current density, $J = \frac{di}{dA}$
 - 3. description of material property e.g. permeability, $\mu = \frac{B}{H}$
 - 4. derivation from other equations, using mathematical processes

1.2 Scalars, Vectors and Phasors

Scalar

- has
 - magnitude only
 - is specified by a single numerical value together with its unit
- eg., mass

Vector

- has a magnitude and direction;
- needs 2 values to specify it, if it is confined to a plane, or
- needs 3 three values, if in general space;
- quoted values depend on system: i.e
 - x,y (z) for Cartesian or;
 - r, θ (ω) for polar representation

Phasor

- is a technique for describing any sinusoidally varying quantity;
- in general $y=y_m(\cos\omega t+\phi)$ means the projection of a phasor
 - of magnitude or peak value, y_m ;
 - rotating at angular speed onto a fixed reference unit;

 - at time *t* will give the instantaneous value of *y*

1.3 Basic Laws

Maxwell's Equations

general

particular

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Faraday's Law

$$\nabla \times E = -\frac{\partial B}{\partial t} \qquad \rightarrow \qquad v = N \frac{d\phi}{dt}$$

$$v = N \frac{d\phi}{dt}$$

Ampere's Law

$$\nabla \times H = \frac{\partial D}{\partial t} + J \quad \rightarrow \quad Hl = NI$$

Newton's 2nd Law

rectilinear

$$\sum F = m \frac{d^2 x}{dt^2} = ma$$

$$\sum T = J \frac{d^2 \theta}{dt^2} = J\alpha$$

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$$\to \sum F = m \frac{d^2 x}{dt^2} = ma = 0$$
 $\sum T = J \frac{d^2 \theta}{dt^2} = J\alpha = 0$

rotational

$$\sum T = J \frac{d^2 \theta}{dt^2} = J \alpha$$

$$\sum T = J \frac{d^2 \theta}{dt^2} = J\alpha = 0$$

Law of conservation of energy

Law of conservation of mass

Maxwell's Equations

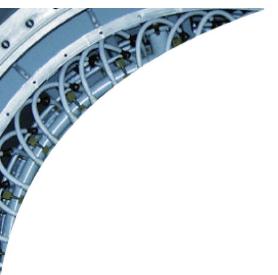
Gauss's Laws:

Conservation of electric charge

$$\nabla \bullet D = \rho$$

Conservation of magnetic flux

$$\nabla \bullet B = 0$$



-End of Lecture 1-